

**HYPOTHESIS OF UNOBSERVABLE INTRINSIC RECTANGULAR NUCLEON "ORBITS"  
 SUGGESTED BY A NEW NUCLEAR BINDING ENERGY DIAGRAM**

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**Abstract:** Implications of a rearrangement concerning  $^{16}\text{O}$  and subsequent nuclei up to  $A=20$  for the accommodation of the  $1d_{5/2}$  subshell are presented. It is explained by a hypothesis of rectangular nucleon "orbits" composing an unobservable closest-packed "dynamic-lattice" structure of standing waves.

The short mean free path of nucleons in the nucleus has been a long-standing problem. Cook and Dallacasa<sup>1)</sup> proposed a close-packed crystal model with nucleons **at rest**. The present work shows that rectangular "orbits" would allow **uninhibited motion**.

Averages  $\bar{B}^*$  of nuclear binding energies  $B^* = B - E_x$  for ground states ( $B$ ) and excited states ( $E_x$ ) of **mirror nuclei** with  $T_z = \pm \frac{1}{2}$  were plotted as  $-\bar{B}^* + (9.5 \text{ MeV}) \cdot A$  versus the mass number  $A$ . They were

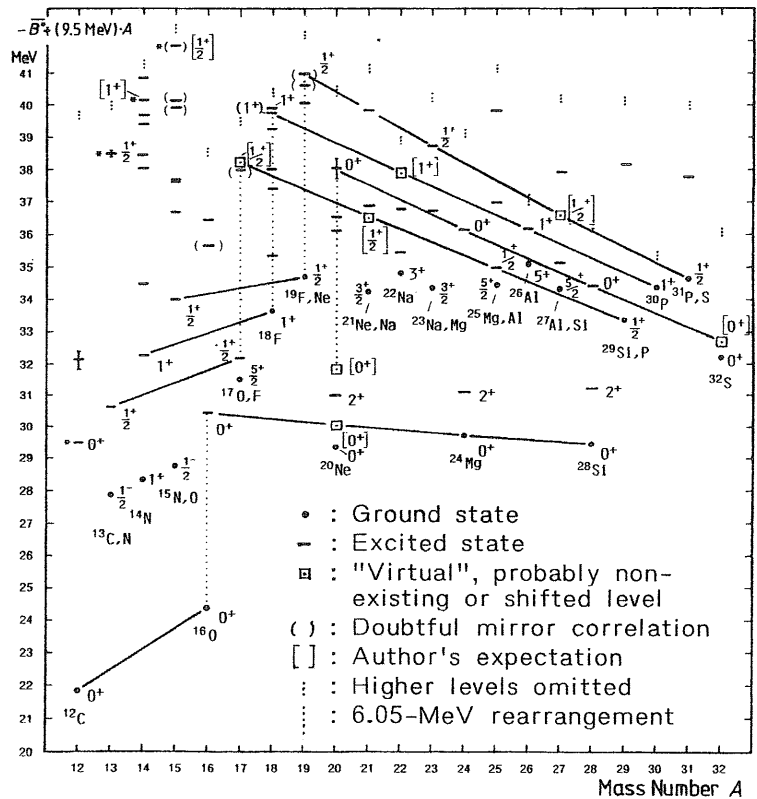


Fig. 1. Binding energy diagram with averages of mirror nuclei. Only the levels with  $J^\pi = \frac{1}{2}^+$  for odd- $A$  nuclei,  $0^+$  (in three cases  $2^+$ ) for even-even nuclei, and  $1^+$  for odd-odd nuclei are included.  $J^\pi$  of levels is indicated on trends only and for levels with a star.

\* (star):  $^{12}\text{C}$ -7.65 MeV excitation perhaps reproduced at  $A = 13, 14,$  and  $15$ . At  $^{14}\text{N}$ ,  $2^-$ ,  $(1^+)$  is known and  $1^+$  expected.

included in the corresponding diagram for self-conjugate nuclei<sup>2)</sup>. About 40 trends of states with the same  $J^\pi$  approximating straight lines with about 10 to 100 keV precision were found. Fig. 1 shows examples and a **step** at doubly magic  $^{16}\text{O}$  and thereafter **instead of a break** with increasing slope. This suggests a **rearrangement** before the  $1d_{5/2}$  subshell can be accommodated regularly. However, at  $A=17, 20, 21, 22, 27,$  and  $32$  the states called "virtual" are missing or shifted. Corresponding steps were found at  $^4\text{He}$  and  $^{40}\text{Ca}$ , but not at  $^{28}\text{Si}$  and  $^{56}\text{Ni}$ , in accordance with the known distinction between the magic-number series ( $N$  or  $Z =$ ) 2, 8, 20, (40), and (6), 14, 28, 50, etc.

Such rearrangement would be required if the nucleus had an **intrinsic standing-wave structure of rectangular nucleon "orbits"**, because  $^{40}\text{Ca}$  does not contain  $^{16}\text{O}$  with  $l=1$ , the p-"orbit", at its center, as fig. 2 shows.

In diagrams of Coulomb-energy differences  $\Delta B^*$  of mirror nuclei, several linear trends and parallelities of connecting lines - precise to a few keV - were found as required by this hypothesis. The Coulomb energy of the repulsion between the odd proton and all others in the even-even core was calculated. The value  $\Delta B(^3\text{H}, ^3\text{He})$  was used for the smallest distance in this standing-wave structure, representing a **face-centered, cubic closest-packed "dynamic lattice"**. No adjusted parameter was used. In several cases of little ambiguity, the agreement with the data was about 50 keV or 1%.

- References: 1) N. D. Cook and V. Dallacasa, Phys. Rev. C 35(1987)1883  
 2) F. Everling, Nucl. Phys. A 115(1968)563

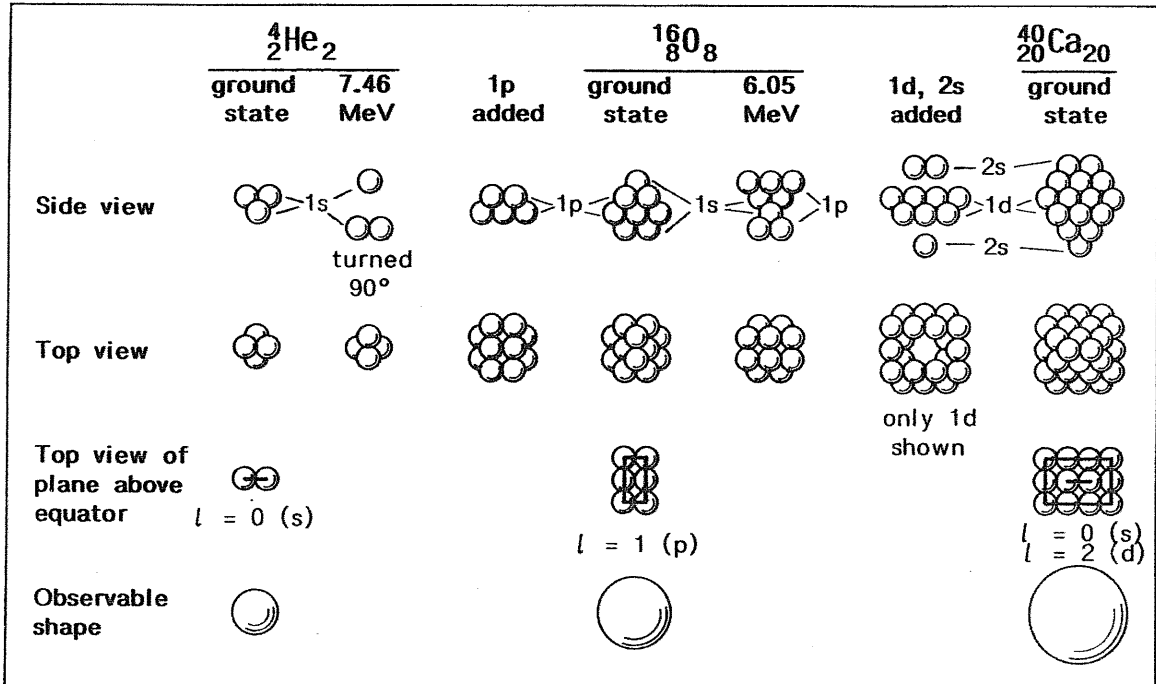


Fig. 2. Hypothetical standing-wave structures including rearranged states. The "virtual" state of  $^4\text{He}$  obviously cannot exist. Rectangular "orbits" are shown together with orbital angular momentum quantum numbers  $l$  and their symbols s, p, and d.